# Bernoulli Trials - Geometric Probabilities 



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2^{2^{n d}} \text { DISTR }
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geometpdf( $\mathbf{p , x}$ )
"pdf" stands for "probability density function." This means
you'll find the probability of success on an individual outcome.
$p$ is the probability of an individual success and $x$ is the number of trials until you get a success.

Suppose you want to find the probability that each individual event has a $1 / 5$ likelihood of happening, and you have your first success on your fifth trial. There's about an $8 \%$ chance of this happening.

geometcdf( $\mathbf{p , x}$ )
"cdf" stands for "cumulative density function." This means you'll find the probability of success on or before a specific outcome.
$p$ is still the probability of an individual success, and $x$ is the trial number you get your first success on or before.

Your event still has a $p$ value of $1 / 5$. Now you're wanting your first success by time you get to your fourth trial...meaning success on the first trial, or the second, or the third, or the fourth. ("Or" means that the calculator's adding them!)

There's about a 59\% chance that this will happen.

Bernoulli Trials - Binomial Probabilities


## $2^{\text {nd }}$ DISTR

## binompdf(n,p,x)

"pdf" still means you'll find the probability of success of an individual outcome.
$n$ is the number of trials, $p$ is the probability of an individual success and $x$ is the number of successes.

Suppose you want to find the probability that each individual event has a $1 / 5$ likelihood of happening, and you want exactly two successes out of five events. There's about a $20 \%$ chance of this happening.


## binomcdf(n,p,x)

"cdf" still means you'll find the probability of success of or fewer than a specific outcome.
$n$ is the number of trials, $p$ is still the probability of an individual success, and $x$ is number of successes - or fewer that you get.

Your event still has a $p$ value of $1 / 5$. Out of 10 events, you want up to four successes. Meaning 0 successes, or 1 success, or 2 successes, or 3 successes, or 4 successes. ("Or" means that the calculator's adding them!) There's about a $97 \%$ chance that this will happen.


Time for a complement! What if - out of 10 events - you want "at least four successes?" Use the complement! What you don't want are $0,1,2$, or 3 successes...so find this total and subtract it from 1 . There's about a $12 \%$ chance of this happening.

