# 4.1 Radians and Degree Measure

## Angles

- One ray (\_\_\_\_\_\_) is fixed, and the other ray (\_\_\_\_\_\_\_) is rotated about the vertex.
- An angle is in **<u>standard position</u>** if:
- The **angle measure** is:
  - <u>Positive</u> if:
  - <u>Negative</u> if:
  - The terminal side can make more than one complete rotation (they can be more than 360° or "less than" 360°)
- Conterminal angles:
  - How to find conterminal angles
    - When angles are measured in degrees:
    - When angles are measured in radians:



Examples: Draw the angles in standard form. Then, create and label a conterminal angle for each.





## **Radians and Radian Measure**

Angles can be measured in radians, as well as degrees.  $\pi$  is the symbol that represents radians.

• <u>Radian:</u>



Quadrants

#### • <u>Circumference:</u>

- Since  $2\pi = 6.28 \rightarrow 2\pi r = 6.28r \rightarrow$  there's just over 6 radius lengths in one full circle
- One full revolution around a circle has a radian measure of  $2\pi$ , and from that we can obtain:
  - $\circ \frac{1}{2}$  revolution:
  - $\circ$  <sup>1</sup>/<sub>4</sub> revolution:
  - $\circ \frac{1}{6}$  revolution:

### **Degree and Degree Measure**

- 360° =
- 180° =

#### • Conversions between radians and degrees:

- Degrees to radians:
- Radians to degrees:



Ex) Convert to degrees: f.)

Ex g) Find 3 conterminal angles for

- Complimentary Angles:
- <u>Supplementary Angles:</u>

Examples: Find the supplementary and complementary angles for each if they exist.

h.) i.) j.) k.)